CISC 372: Parallel Computing

Introduction to MPI

Stephen F. Siegel

Department of Computer and Information Sciences University of Delaware

siegel@udel.edu

・ロト ・日ト ・ヨト ・ヨト ・ヨー うへで

- late 1980s
 - every vendor had their own message-passing library

- late 1980s
 - every vendor had their own message-passing library
- April 1992
 - workshop led to working group on a message-passing standard
 - involved academia, industry (vendors), users
 - rather than choose one of the existing libraries, "big tent"

- Iate 1980s
 - every vendor had their own message-passing library
- April 1992
 - workshop led to working group on a message-passing standard
 - involved academia, industry (vendors), users
 - rather than choose one of the existing libraries, "big tent"
- ▶ 1994: MPI: A Message Passing Interface Standard (v1.0)
- defines an interface
 - types
 - constants
 - functions

- late 1980s
 - every vendor had their own message-passing library
- April 1992
 - workshop led to working group on a message-passing standard
 - involved academia, industry (vendors), users
 - rather than choose one of the existing libraries, "big tent"
- ▶ 1994: MPI: A Message Passing Interface Standard (v1.0)
- defines an interface
 - types
 - constants
 - functions
- versions 1.1, 1.2, 1.3, 2.0, 2.1, 2.2, 3.0, 3.1
- MPI 3.1 approved on June 4, 2015
 - http://www.mpi-forum.org
 - 868 pages

◆□ > ◆□ > ◆豆 > ◆豆 > ̄豆 = のへで

an MPI program consists of multiple processes

- an MPI program consists of multiple processes
- each process has its own memory (no shared memory)

- an MPI program consists of multiple processes
- each process has its own memory (no shared memory)
- think of each process as a program running on its own computer
- the computers can have different architectures
- the programs do not even have to be written in the same language
 - MPI officially supports C and Fortran

- an MPI program consists of multiple processes
- each process has its own memory (no shared memory)
- think of each process as a program running on its own computer
- the computers can have different architectures
- the programs do not even have to be written in the same language
 - MPI officially supports C and Fortran
- however, in most cases:
 - programmer writes one generic program
 - compiles this
 - at run-time, specifies number of processes

- an MPI program consists of multiple processes
- each process has its own memory (no shared memory)
- think of each process as a program running on its own computer
- the computers can have different architectures
- the programs do not even have to be written in the same language
 - MPI officially supports C and Fortran
- however, in most cases:
 - programmer writes one generic program
 - compiles this
 - at run-time, specifies number of processes
 - run-time system
 - instantiates that number of processes
 - distributes them where they need to go

▲ロト ▲帰 ト ▲ 臣 ト ▲ 臣 ト ● ○ ● ● ● ●

- an MPI program consists of multiple processes
- each process has its own memory (no shared memory)
- think of each process as a program running on its own computer
- the computers can have different architectures
- the programs do not even have to be written in the same language
 - MPI officially supports C and Fortran
- however, in most cases:
 - programmer writes one generic program
 - compiles this
 - at run-time, specifies number of processes
 - run-time system
 - instantiates that number of processes
 - distributes them where they need to go
 - a process can obtain its unique ID ("rank")
 - by branching on rank, each process can execute different code

S.F. Siegel \diamond CISC 372: Parallel Computing \diamond MPI Intro

◆□ > ◆□ > ◆豆 > ◆豆 > ̄豆 = のへで

- > a communicator is an MPI abstraction representing a set of processes
 - type: MPI_Comm

- > a communicator is an MPI abstraction representing a set of processes
 - type: MPI_Comm
- ▶ processes belonging to a communicator are numbered 0, 1, ..., n-1

- > a communicator is an MPI abstraction representing a set of processes
 - type: MPI_Comm
- ▶ processes belonging to a communicator are numbered 0, 1, ..., n-1
- n is the size of the communicator
- rank: the number of the process within the communicator

- > a communicator is an MPI abstraction representing a set of processes
 - type: MPI_Comm
- ▶ processes belonging to a communicator are numbered 0, 1, ..., n-1
- *n* is the size of the communicator
- rank: the number of the process within the communicator
- MPI_COMM_WORLD: constant of type MPI_Comm
 - pre-defined communicator
 - comprises all processes that exist at start up

- a communicator is an MPI abstraction representing a set of processes
 - type: MPI_Comm
- ▶ processes belonging to a communicator are numbered 0, 1, ..., n-1
- n is the size of the communicator
- rank: the number of the process within the communicator
- MPI_COMM_WORLD: constant of type MPI_Comm
 - pre-defined communicator
 - comprises all processes that exist at start up
- MPI_Comm_size(MPI_Comm comm, int *size)
 - stores size of comm in size
 - returns an error code (0=success)

- a communicator is an MPI abstraction representing a set of processes
 - type: MPI_Comm
- ▶ processes belonging to a communicator are numbered 0, 1, ..., n-1
- n is the size of the communicator
- rank: the number of the process within the communicator
- MPI_COMM_WORLD: constant of type MPI_Comm
 - pre-defined communicator
 - comprises all processes that exist at start up
- MPI_Comm_size(MPI_Comm comm, int *size)
 - stores size of comm in size
 - returns an error code (0=success)
- MPI_Comm_rank(MPI_Comm comm, int *rank)
 - stores rank of calling process in rank
 - returns an error code (0=success)

Startup and Shutdown

▲□▶ ▲圖▶ ▲国▶ ▲国▶ - 国 - のへで

Startup and Shutdown

- MPI_Init(&argc, &argv)
 - each process must call this before calling any other MPI functions
 - must be called before reading argc or argv
 - MPI_Init(NULL, NULL)
 - can be used if command line arguments not needed

Startup and Shutdown

- MPI_Init(&argc, &argv)
 - each process must call this before calling any other MPI functions
 - must be called before reading argc or argv
 - MPI_Init(NULL, NULL)
 - can be used if command line arguments not needed
- MPI_Finalize()
 - must be called before process exits
 - no MPI functions can be called after this is called

Hello, world

}

```
#include<stdio.h>
#include<mpi.h>
```

```
int main(int argc, char *argv[]) {
    int rank;
```

```
MPI_Init(&argc, &argv);
MPI_Comm_rank(MPI_COMM_WORLD, &rank);
printf("Hello from process %d.\n", rank);
fflush(stdout);
MPI_Finalize();
```

depends somewhat on the MPI implementation

- depends somewhat on the MPI implementation
- standard compilation approach
 - mpicc [options] -o foo foo.c
 - ▶ just like cc
 - results in binary file foo

- depends somewhat on the MPI implementation
- standard compilation approach
 - mpicc [options] -o foo foo.c
 - just like cc
 - results in binary file foo
- standard execution approach
 - mpiexec -n numProcs ./foo

▲□▶▲□▶▲□▶▲□▶ □ クタウ

- depends somewhat on the MPI implementation
- standard compilation approach
 - mpicc [options] -o foo foo.c
 - just like cc
 - results in binary file foo
- standard execution approach
 - mpiexec -n numProcs ./foo
- > on Grendel, Bridges, and other large machines shared by many people:
 - slightly different approach
 - cross-compilation is an option
 - queueing system: SLURM
 - srun, sbatch, squeue, scancel, ...

grendel.cis.udel.edu is a virtual machine (VM)

- grendel.cis.udel.edu is a virtual machine (VM)
- ▶ it is not the parallel machine
 - it is used as the interface to the parallel machine Beowulf

- grendel.cis.udel.edu is a virtual machine (VM)
- it is not the parallel machine
 - it is used as the interface to the parallel machine Beowulf
- you cannot log on to Beowulf directly

- grendel.cis.udel.edu is a virtual machine (VM)
- it is not the parallel machine
 - it is used as the interface to the parallel machine Beowulf
- you cannot log on to Beowulf directly
- ▶ use Grendel (the VM) to edit, compile, and for other "light" programming tasks

- grendel.cis.udel.edu is a virtual machine (VM)
- it is not the parallel machine
 - it is used as the interface to the parallel machine Beowulf
- you cannot log on to Beowulf directly
- ▶ use Grendel (the VM) to edit, compile, and for other "light" programming tasks
 - ▶ or develop/debug on your own machine then use svn to move your work to Grendel

- grendel.cis.udel.edu is a virtual machine (VM)
- it is not the parallel machine
 - it is used as the interface to the parallel machine Beowulf
- you cannot log on to Beowulf directly
- ▶ use Grendel (the VM) to edit, compile, and for other "light" programming tasks
 - or develop/debug on your own machine then use svn to move your work to Grendel
- execute from the VM using SLURM
 - example: srun -n 10 ./myexecutable
 - this queues and runs your job on the parallel machine
 - this is the only way you will see performance
 - do not do "big" runs on the VM
 - do not use mpiexec on the VM

Example: Boolean Satisfiability

SAT: The Boolean Satisfiability Problem

- SAT: The Boolean Satisfiability Problem
- given
 - boolean variables x₁,..., x_n
 - ▶ a boolean formula ϕ in the x_1, \ldots, x_n
 - ϕ may use \wedge (and), \vee (or), and \neg (not)

SAT: The Boolean Satisfiability Problem

given

- boolean variables x₁,..., x_n
- a boolean formula ϕ in the x_1, \ldots, x_n
 - ϕ may use \wedge (and), \vee (or), and \neg (not)
- determine whether ϕ is satisfiable
 - does there exist a solution?
 - > assignments of *true*/*false* to the x_i that lead ϕ to evaluate to *true*

SAT: The Boolean Satisfiability Problem

given

- boolean variables x₁,..., x_n
- a boolean formula ϕ in the x_1, \ldots, x_n
 - ϕ may use \wedge (and), \vee (or), and \neg (not)
- determine whether ϕ is satisfiable
 - does there exist a solution?
 - > assignments of *true*/*false* to the x_i that lead ϕ to evaluate to *true*
 - additionally: if ϕ is satisfiable, find a/all solution(s)

SAT: The Boolean Satisfiability Problem

given

- boolean variables x₁,..., x_n
- a boolean formula ϕ in the x_1, \ldots, x_n
 - ϕ may use \wedge (and), \vee (or), and \neg (not)
- determine whether ϕ is satisfiable
 - does there exist a solution?
 - > assignments of *true*/*false* to the x_i that lead ϕ to evaluate to *true*
 - additionally: if \(\phi\) is satisfiable, find a/all solution(s)

example

• variables
$$x_1, x_2, x_3$$

• $\phi = (x_1 \lor \neg x_2) \land (\neg x_1 \lor x_2 \lor x_3) \land \neg x_1$
• ϕ is satisfiable

• $x_1 = false, x_2 = false, x_3$ arbitrary

SAT: The Boolean Satisfiability Problem

given

- boolean variables x₁,..., x_n
- a boolean formula ϕ in the x_1, \ldots, x_n
 - ϕ may use \wedge (and), \vee (or), and \neg (not)
- determine whether ϕ is satisfiable
 - does there exist a solution?
 - ▶ assignments of *true*/*false* to the x_i that lead ϕ to evaluate to *true*
 - additionally: if ϕ is satisfiable, find a/all solution(s)
- example
 - variables x_1, x_2, x_3
 - $\bullet \phi = (x_1 \lor \neg x_2) \land (\neg x_1 \lor x_2 \lor x_3) \land \neg x_1$
 - $\blacktriangleright \phi$ is satisfiable
 - $x_1 = false, x_2 = false, x_3$ arbitrary
- example of an unsatisfiable formula: $x_1 \land \neg x_1$

◆□ > ◆□ > ◆豆 > ◆豆 > ̄豆 = のへで

numerous applications

- cryptography
- circuit design: are two digital circuits equivalent?
- automatic test generation for software or hardware
- model checking: automatic verification of programs
- artificial intelligence: planning, ...

numerous applications

- cryptography
- circuit design: are two digital circuits equivalent?
- automatic test generation for software or hardware
- model checking: automatic verification of programs
- artificial intelligence: planning, ...
- asymptotic complexity?
 - all known algorithms have exponential worst-case time complexity in n
 - it is not known whether you can do better than exponential
 - it is possible a polynomial-time algorithm exists!
 - SAT is an example of a problem in NP: nondeterministic polynomial time
 - ▶ it is unknown whether P=NP the big unsolved problem in computer science
 - ▶ if SAT is in P, then P=NP

S.F. Siegel

numerous applications

- cryptography
- circuit design: are two digital circuits equivalent?
- automatic test generation for software or hardware
- model checking: automatic verification of programs
- artificial intelligence: planning, ...
- asymptotic complexity?
 - all known algorithms have exponential worst-case time complexity in n
 - it is not known whether you can do better than exponential
 - it is possible a polynomial-time algorithm exists!
 - SAT is an example of a problem in NP: nondeterministic polynomial time
 - ▶ it is unknown whether P=NP the big unsolved problem in computer science
 - ▶ if SAT is in P, then P=NP
- many effective SAT solvers exist
 - can solve problems with millions of variables, clauses
 - widely-used in many applications

A simple brute-force SAT solver

- iterate over all 2^n assignments to the *n* boolean variables
 - for each, plug into ϕ and evaluate

A simple brute-force SAT solver

iterate over all 2ⁿ assignments to the n boolean variables

• for each, plug into ϕ and evaluate

example formula in C:

	(v[0]		v[1])				
&&	(!v[1]		!v[3])	&&	(v[2]		v[3])
&&	(!v[3]		!v[4])	&&	(v[4]		!v[5])
&&	(v[5]		!v[6])	&&	(v[5]		v[6])
&&	(v[6]	11	!v[15])	&&	(v[7]		!v[8])
&&	(!v[7]		!v[13])	&&	(v[8]		v[9])
&&	(v[8]		!v[9])	&&	(!v[9]		!v[10])
&&	(v[9]		v[11])	&&	(v[10]		v[11])
&&	(v[12]		v[13])	&&	(v[13]		!v[14])
&&	(v[14]		v[15])				

Brute force SAT solver: example

	а	Ь	с	$(\neg a) \land (b \lor \neg c)$
0	0	0	0	1
1	0	0	1	0
1 2 3 4 5 6	0	1	0	1
3	0	1	1	1
4	1	0	0	0
5	1	0	1	0
6	1	1	0	0
7	1	1	1	0

Brute force SAT solver: example

	а	Ь	С	$(\neg a) \land (b \lor \neg c)$
0	0	0	0	1
1	0	0	1	0
1 2 3	0	1	0	1
3	0	1	1	1
4	1	0	0	0
4 5	1	0	1	0
6	1	1	0	0
7	1	1	1	0

▶ iterate over integers and extract the base-2 representation of each

see sat.c

S.F. Siegel \diamond CISC 372: Parallel Computing \diamond MPI Intro

Every algorithm applies some operations to some data.

Every algorithm applies some operations to some data.

To parallelize the algorithm, you must:

- 1. divide up the data, and
- 2. divide up the operations.

Every algorithm applies some operations to some data.

To parallelize the algorithm, you must:

- 1. divide up the data, and
- 2. divide up the operations.

Two Goals:

Every algorithm applies some operations to some data.

To parallelize the algorithm, you must:

- $1.\$ divide up the data, and
- 2. divide up the operations.

Two Goals:

locality: most operations performed by process P require only the data assigned to P

15

minimize communication!

Every algorithm applies some operations to some data.

To parallelize the algorithm, you must:

- 1. divide up the data, and
- 2. divide up the operations.

Two Goals:

- locality: most operations performed by process P require only the data assigned to P
 - minimize communication!
- load balance: the work is distributed equally among the processes
 - a parallel program is only as fast as the longest-running process

	а	b	с	$(\neg a) \land (b \lor \neg c)$
0	0	0	0	1
1	0	0	1	0
1 2 3 4	0	1	0 1 0 1 0 1 0 1 0	1
3	0	1	1	1
4	1	0	0	0
5	1	0	1	0
6	1	1	0	0
7	1	1	1	0

♦ MPI Intro

	а	Ь	С	$(\neg a) \land (b \lor \neg c)$
0	0	0	0	1
1	0	0	1	0
2 3	0	1	0	1
3	0	1	1	1
4	1	0	0	0
5	1	0	1	0
6	1	1	0	0
7	1	1	1	0

each row is a piece of work — divide these up equally

	а	Ь	с	$(\neg a) \land (b \lor \neg c)$
0	0	0	0	1
1	0	0	1	0
2	0	1	0	1
2 3	0	1	1	1
4 5	1	0 0	0	0
5	1	0	1	0
6	1	1	0	0
7	1	1	1	0

- ▶ each row is a piece of work divide these up equally
- Iocality?
 - each proc operates on its own data; no communication necessary "embarrassingly parallel"

	а	Ь	С	$(\neg a) \land (b \lor \neg c)$
0	0	0	0	1
1	0	0	1	0
2	0	1	0	1
1 2 3 4 5	0	1	0 1	1
4	1	0	0	0
5	1	0	1	0
6	1	1	0	0
7	1	1	1	0

- each row is a piece of work divide these up equally
- Iocality?
 - each proc operates on its own data; no communication necessary "embarrassingly parallel"
- Ioad balance?
 - possible issue: some cases can be solved faster than others ("short circuit" nature of and, or)

◆□▶ ◆□▶ ◆三▶ ◆三▶ 三三 - つへぐ

- in the example, last 4 cases are quick
- note these quick cases tend to be "clumped" together S.F. Siegel \diamond CISC 372: Parallel Computing \diamond MPI Intro

Suppose we have two procs. How to divide up the work between them?

- 1. Method 1 (block distribution)
 - Proc 0: rows 0,1,2,3
 - Proc 1: rows 4,5,6,7

Suppose we have two procs. How to divide up the work between them?

- 1. Method 1 (block distribution)
 - Proc 0: rows 0,1,2,3
 - Proc 1: rows 4,5,6,7
 - Problem: Proc 1 finishes quickly, then has nothing to do.
 - program is only as fast as the slowest process

Suppose we have two procs. How to divide up the work between them?

- 1. Method 1 (block distribution)
 - Proc 0: rows 0,1,2,3
 - Proc 1: rows 4,5,6,7
 - Problem: Proc 1 finishes quickly, then has nothing to do.
 - program is only as fast as the slowest process
- 2. Method 2 (cyclic distribution)
 - Proc 0: rows 0,2,4,6
 - Proc 1: rows 1,3,5,7

Suppose we have two procs. How to divide up the work between them?

- 1. Method 1 (block distribution)
 - Proc 0: rows 0,1,2,3
 - Proc 1: rows 4,5,6,7
 - Problem: Proc 1 finishes quickly, then has nothing to do.
 - program is only as fast as the slowest process
- 2. Method 2 (cyclic distribution)
 - Proc 0: rows 0,2,4,6
 - Proc 1: rows 1,3,5,7
 - Probably closer to equal division of work

Suppose we have two procs. How to divide up the work between them?

- 1. Method 1 (block distribution)
 - Proc 0: rows 0,1,2,3
 - Proc 1: rows 4,5,6,7
 - Problem: Proc 1 finishes quickly, then has nothing to do.
 - program is only as fast as the slowest process
- 2. Method 2 (cyclic distribution)
 - Proc 0: rows 0,2,4,6
 - Proc 1: rows 1,3,5,7
 - Probably closer to equal division of work

Load Balancing

Cyclic Distribution

Generalize

Given any number of tasks.

Given p processes.

Distribute the tasks cyclically:

- ▶ proc 0: 0, *p*, 2*p*, ...
- ▶ proc 1: 1, p + 1, 2p + 1, ...
- ▶ proc 2: 2, p + 2, 2p + 2, ...

etc.

I.e., proc *i* gets tasks *t*, where t%p = i. See sat1.c, Makefile.

▲□▶▲□▶▲□▶▲□▶ □ クタウ

▲□▶ ▲圖▶ ▲国▶ ▲国▶ - 国 - のへで

now we want to print the total number of solutions found

- now we want to print the total number of solutions found
- each process can count its solutions
- then we need to add up these numbers across all processes

- now we want to print the total number of solutions found
- each process can count its solutions
- then we need to add up these numbers across all processes
- this obviously requires communication

- now we want to print the total number of solutions found
- each process can count its solutions
- then we need to add up these numbers across all processes
- this obviously requires communication
- an example of a collective operation
 - > a communication operation involving all processes in a communicator

- now we want to print the total number of solutions found
- each process can count its solutions
- then we need to add up these numbers across all processes
- this obviously requires communication
- an example of a collective operation
 - a communication operation involving all processes in a communicator
- to carry out a collective operation in MPI:
 - each process calls the same function
 - some arguments will be the same for all processes
 - some will differ

- now we want to print the total number of solutions found
- each process can count its solutions
- then we need to add up these numbers across all processes
- this obviously requires communication
- an example of a collective operation
 - a communication operation involving all processes in a communicator
- to carry out a collective operation in MPI:
 - each process calls the same function
 - some arguments will be the same for all processes
 - some will differ
- the collective function MPI_Reduce can be used to
 - add vectors across all processes
 - store the resulting vector in the memory of one process

MPI_Reduce

MPI_Reduce(sendbuf, recvbuf, count, datatype, op, root, comm)

- sendbuf address of send buffer (void*)
- recvbuf address of recv buffer (void*)
 - count number of elements in send buffer (int)

datatype data type of elements in send buffer (MPI_Datatype)

♦ MPI Intro

- op reduce operation (MPI_Op)
- root rank of root process (int)
- comm communicator (MPI_Comm)

		×01	<i>x</i> ₀₂
Rank 1 sendbuf	<i>x</i> ₁₀	x ₁₁	<i>x</i> ₁₂
Rank 2 sendbuf	<i>x</i> ₂₀	x ₂₁	<i>x</i> ₂₂

Root recvbuf

$$x_{00} + x_{10} + x_{20}$$
 | $x_{01} + x_{11} + x_{21}$ | $x_{02} + x_{12} + x_{22}$

S.F. Siegel \diamond CISC 372: Parallel Computing \diamond MPI Intro

・ロト・日本・モト・モー シック・

all processes in the communicator must call it

- all processes in the communicator must call it
- all pass same value for root, comm, op

- all processes in the communicator must call it
- ▶ all pass same value for root, comm, op
- in most cases, all pass same values for count, datatype

- all processes in the communicator must call it
- all pass same value for root, comm, op
- ▶ in most cases, all pass same values for count, datatype
- there is no requirement on the pointer values
 - each lives in a "different world" (no shared memory)

- all processes in the communicator must call it
- all pass same value for root, comm, op
- in most cases, all pass same values for count, datatype
- there is no requirement on the pointer values
 - each lives in a "different world" (no shared memory)
- the recybuf argument is only used on the root process
 - all other processes ignore this argument

- all processes in the communicator must call it
- all pass same value for root, comm, op
- in most cases, all pass same values for count, datatype
- there is no requirement on the pointer values
 - each lives in a "different world" (no shared memory)
- the recycluf argument is only used on the root process
 - all other processes ignore this argument
- if you break any of the rules
 - anything could happen
 - you might get an error message
 - your program might run and just return erroneous results
 - you might get a deadlock
 - you might get a crash with an indecipherable error message

34

the MPI Standard does not specify

Reduction Operations

Predefined reduction operations:

MPI_Op	binary operation	C operation
MPI_SUM	addition	+
MPI_PROD	multiplication	*
MPI_MAX	maximum	x>=y ? x : y
MPI_MIN	minimum	x <y :="" ?="" td="" x="" y<=""></y>
MPI_LAND	logical and	&&
MPI_LOR	logical <i>or</i>	11
MPI_LXOR	logical exclusive or	
MPI_BAND	bit-wise and	&
MPI_BOR	bit-wise <i>or</i>	
MPI_BXOR	bit-wise exclusive or	^

Can also make user-defined reduction operations.

Some common MPI datatypes:

MPI_Datatype	C type
MPI_INT	int
MPI_FLOAT	float
MPI_DOUBLE	double
MPI_CHAR	char
MPI_UNSIGNED_CHAR	unsigned char

Some common MPI datatypes:

MPI_Datatype	C type
MPI_INT	int
MPI_FLOAT	float
MPI_DOUBLE	double
MPI_CHAR	char
MPI_UNSIGNED_CHAR	unsigned char

- See MPI Standard 3.1, Section 3.2.2, "Message Data", Table 3.2
 - "Predefined MPI datatypes corresponding to C datatypes"

Some common MPI datatypes:

MPI_Datatype	C type
MPI_INT	int
MPI_FLOAT	float
MPI_DOUBLE	double
MPI_CHAR	char
MPI_UNSIGNED_CHAR	unsigned char

See MPI Standard 3.1, Section 3.2.2, "Message Data", Table 3.2

- "Predefined MPI datatypes corresponding to C datatypes"
- food for thought
 - why did MPI Forum re-invent the data structure wheel?

Some common MPI datatypes:

MPI_Datatype	C type
MPI_INT	int
MPI_FLOAT	float
MPI_DOUBLE	double
MPI_CHAR	char
MPI_UNSIGNED_CHAR	unsigned char

▶ See MPI Standard 3.1, Section 3.2.2, "Message Data", Table 3.2

- "Predefined MPI datatypes corresponding to C datatypes"
- food for thought
 - why did MPI Forum re-invent the data structure wheel?
- now examine sat2.c
 - see how MPI_Reduce is used

comm communicator (MPI_Comm)

comm communicator (MPI_Comm)

another collective operation

comm communicator (MPI_Comm)

- another collective operation
- blocks calling process until all processes in comm call MPI_Barrier

▲□▶▲□▶▲□▶▲□▶ □ クタウ

comm communicator (MPI_Comm)

- another collective operation
- blocks calling process until all processes in comm call MPI_Barrier
- "no one can leave until everyone enters"
 - the motto of the barrier

comm communicator (MPI_Comm)

- another collective operation
- blocks calling process until all processes in comm call MPI_Barrier
- "no one can leave until everyone enters"
 - the motto of the barrier
- if one process in comm calls MPI_Barrier(comm), all should
 - else deadlock ensues

comm communicator (MPI_Comm)

- another collective operation
- blocks calling process until all processes in comm call MPI_Barrier
- "no one can leave until everyone enters"
 - the motto of the barrier
- if one process in comm calls MPI_Barrier(comm), all should
 - else deadlock ensues
- example: all procs say "hello", barrier, then "goodbye"

comm communicator (MPI_Comm)

- another collective operation
- blocks calling process until all processes in comm call MPI_Barrier

- "no one can leave until everyone enters"
 - the motto of the barrier
- if one process in comm calls MPI_Barrier(comm), all should
 - else deadlock ensues
- example: all procs say "hello", barrier, then "goodbye"
- example: write a "hello, world" program, but:
 - messages are printed in order of increasing rank
 - solution: loop with barrier

Stands for wall time. From MPI Standard 2.2:

MPI defines a timer. A timer is specified even though it is not "message-passing," because timing parallel programs is important in "performance debugging" and because existing timers (both in POSIX 1003.1-1988 and 1003.4D 14.1 and in Fortran 90) are either inconvenient or do not provide adequate access to high-resolution timers.

Stands for wall time. From MPI Standard 2.2:

MPI defines a timer. A timer is specified even though it is not "message-passing," because timing parallel programs is important in "performance debugging" and because existing timers (both in POSIX 1003.1-1988 and 1003.4D 14.1 and in Fortran 90) are either inconvenient or do not provide adequate access to high-resolution timers.

returns a floating-point number

- the number of seconds elapsed since some fixed time in the past
- "time in the past" is not specified, but is fixed for the life of the process
- e.g.: midnight on Jan. 1, 1970

Stands for wall time. From MPI Standard 2.2:

MPI defines a timer. A timer is specified even though it is not "message-passing," because timing parallel programs is important in "performance debugging" and because existing timers (both in POSIX 1003.1-1988 and 1003.4D 14.1 and in Fortran 90) are either inconvenient or do not provide adequate access to high-resolution timers.

returns a floating-point number

- the number of seconds elapsed since some fixed time in the past
- "time in the past" is not specified, but is fixed for the life of the process
- e.g.: midnight on Jan. 1, 1970

typical usage

- t0 = MPI_Wtime();
- do some computation
- t1 = MPI_Wtime();
- it took t1-t0 seconds to do the computation

Issue:

when is a task that involves multiple processes completed?

Issue:

- when is a task that involves multiple processes completed?
 - when the first process finishes? the average process?

Issue:

- when is a task that involves multiple processes completed?
 - when the first process finishes? the average process?
 - when the last process finishes

Issue:

- when is a task that involves multiple processes completed?
 - when the first process finishes? the average process?
 - when the last process finishes
- you cannot time just one process

▲□▶▲□▶▲□▶▲□▶ □ クタウ

Issue:

- when is a task that involves multiple processes completed?
 - when the first process finishes? the average process?
 - when the last process finishes
- you cannot time just one process

Solution (see sat3.c):

1. isolate the region of code you want to time (e.g.: you might want to exclude I/O)

Issue:

- when is a task that involves multiple processes completed?
 - when the first process finishes? the average process?
 - when the last process finishes
- you cannot time just one process

Solution (see sat3.c):

1. isolate the region of code you want to time (e.g.: you might want to exclude I/O)

39

2. MPI_Barrier(comm);

Issue:

- when is a task that involves multiple processes completed?
 - when the first process finishes? the average process?
 - when the last process finishes
- you cannot time just one process

Solution (see sat3.c):

- 1. isolate the region of code you want to time (e.g.: you might want to exclude I/O)
- 2. MPI_Barrier(comm);
- 3. t0 = MPI_Wtime();

Issue:

- when is a task that involves multiple processes completed?
 - when the first process finishes? the average process?
 - when the last process finishes
- you cannot time just one process

Solution (see sat3.c):

- 1. isolate the region of code you want to time (e.g.: you might want to exclude I/O)
- 2. MPI_Barrier(comm);
- 3. t0 = MPI_Wtime();
- 4. do some computation

Issue:

- when is a task that involves multiple processes completed?
 - when the first process finishes? the average process?
 - when the last process finishes
- you cannot time just one process

Solution (see sat3.c):

- 1. isolate the region of code you want to time (e.g.: you might want to exclude I/O)
- 2. MPI_Barrier(comm);
- 3. t0 = MPI_Wtime();
- 4. do some computation
- 5. MPI_Barrier(comm);

Issue:

- when is a task that involves multiple processes completed?
 - when the first process finishes? the average process?
 - when the last process finishes
- you cannot time just one process

Solution (see sat3.c):

- 1. isolate the region of code you want to time (e.g.: you might want to exclude I/O)
- 2. MPI_Barrier(comm);
- 3. t0 = MPI_Wtime();
- 4. do some computation
- 5. MPI_Barrier(comm);
- 6. t1 = MPI_Wtime();

Issue:

- when is a task that involves multiple processes completed?
 - when the first process finishes? the average process?
 - when the last process finishes
- you cannot time just one process

Solution (see sat3.c):

- 1. isolate the region of code you want to time (e.g.: you might want to exclude I/O)
- 2. MPI_Barrier(comm);
- 3. t0 = MPI_Wtime();
- 4. do some computation
- 5. MPI_Barrier(comm);
- 6. t1 = MPI_Wtime();
- 7. elapsed time is t1-t0

result should be roughly the same on every process

S.F. Siegel \diamond CISC 372: Parallel Computing \diamond MPI Intro